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 Δ maximum amplitude during the whole period considered (23.5 s)
 \square maximum amplitude during the last 3 1/2 wave periods (3.3 s)
 \circ Average amplitude and number of considered oscillations during the last 3.3 s.
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Left: Forces exerted on the drift by the stem.

G_T''	weight of the drift occasionally reduced by buoyancy
W_x, W_z	dynamic water pressure
C	Coriolis force
Z_x, Z_z	driving force
N	normal force
R	friction

Right: forces exerted on the stem by the drift.

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